

## Circumpolar Stars

①

Most of the questions involve the use of the declination of a star and an observer's latitude, to determine whether the star will be circumpolar.

The condition for circumpolarity is:

$$D \geq 90^\circ - L$$

Where  $D$  is the declination of the star and  $L$  is the latitude of the observer.

Reminder: from a given location (eg  $57^\circ$  N) the angle of elevation of Polaris above the Northern horizon will equal the latitude of the location, that is, Polaris will be  $57^\circ$  above the horizon. If the angular distance of a star from Polaris is less than this, then it will never set as the Earth rotates on its axis. Since the declination of Polaris is  $+90^\circ$ , the angular distance of a star from Polaris is  $(90^\circ - D)$ . So, if  $(90^\circ - D)$  is less than  $L$ , the star will be circumpolar.

④ An observer in the Shetland Isles (latitude  $60^\circ$  N) observes two stars in Pegasus. Which, if either, will be circumpolar?

Ans. (a)  $\beta$  Peg. (declination  $+28^\circ$ )

$$\begin{aligned}(90 - L) &= 90^\circ - 60^\circ \\ &= 30^\circ\end{aligned}$$

declination of  $\beta$  Peg.  $< 30^\circ$   $\therefore$  <sup>the</sup> star is not circumpolar.

(b)  $\pi$  Peg (declination  $+33^\circ$ )

$$(90 - L) = 30^\circ$$

declination of  $\pi$  Peg.  $> 30^\circ$

$\therefore \pi$  Peg. is circumpolar.

(2)

(5) Find the smallest (that is, southernmost) latitude for which Thuban ( $\alpha$  Draconis) with a declination of  $64^\circ$  would be circumpolar.

Ans.

For the smallest latitude,  $D = (90^\circ - L)$

$$\therefore L = (90^\circ - D)$$

$$\therefore L = (90^\circ - 64^\circ)$$

$$\therefore \underline{L = 26^\circ}$$

D.F.

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